

勘誤表(Erratum)

updated on July 4, 2012

$$P.19, L-7: \frac{1}{2} \int_0^T f_{XX}(t, W_t) dt, \frac{1}{2} f_{XX}(t, W_t) dt$$

$$P.25, L-3: \mathcal{N}\left(\ln s + \left(r - \frac{\sigma^2}{2}\right)t, \sigma^2 t\right)$$

$$P.29, L3-4: (C_t - P_t - S_t)e^{r(T-t)} - (S_T - K) + S_T = K + e^{r(T-t)}(C_t - P_t - S_t) > 0$$

$$P.29, L5-6: (C_t - P_t - S_t)e^{r(T-t)} + (K - S_T) + S_T = K + e^{r(T-t)}(C_t - P_t - S_t) > 0$$

P.31, L9:

$$(\alpha_t \mu S_t + \beta_t r e^{rt}) dt + \alpha_t \sigma S_t dW_t = \left(\frac{\partial P}{\partial t} + \mu S_t \frac{\partial P}{\partial x} + \frac{1}{2} \sigma^2 S_t^2 \frac{\partial^2 P}{\partial x^2} \right) dt +$$

$$\sigma S_t \frac{\partial P}{\partial x} dW_t \circ (4-5)$$

$$P.33, L-2: \Theta(\text{Theta}) = \frac{\partial P}{\partial t} = \frac{-x\sigma}{2\sqrt{T-t}} \mathcal{N}'(d_1) - K r e^{-r(T-t)} \mathcal{N}(d_2)$$

$$P.34, L1: \Gamma(\text{Gamma}) = \frac{\partial^2 P}{\partial x^2} = \frac{\mathcal{N}'(d_1)}{x\sigma\sqrt{T-t}}$$

$$P.34, L3: \nu(\text{Vega}) = \frac{\partial P}{\partial \sigma} = x\sqrt{T-t} \mathcal{N}'(d_1)$$

P.41, L14: $B(t, T)$ 為 $\exp(-r(T-t))$ 當無風險利率....

$$P.51, L5: S^* = \frac{2r}{2r+\sigma^2} K$$

$$P.52, L16: \begin{cases} \mathcal{L}P_{am}(x) = 0, x > S^* \\ P_{am}(x) = (K-x), x \leq S^* \end{cases} \quad (8-5)$$

$$P.53, L5: P'_{am}(x) = \begin{cases} -1, x > S^* \\ -(K-S^*) \frac{2r}{\sigma^2 S^*} \left(\frac{x}{S^*}\right)^{-(2r+\sigma^2)/\sigma^2}, x \leq S^* \end{cases}$$

$$P63,L-6: C(\tau) = \frac{2(e^{\theta\tau}-1)}{(\theta+\alpha)(e^{\theta\tau}-1)+2\theta}$$

$$P97,L-5: c_T(k) = \exp(\alpha k)C_T(k)$$

P97,L-3: 它乘上了阻尼參數的 $c_T(k)$ 便無此缺陷，

$$P98,L5: \Psi_T^{X(T)}(v) = \int_R c_T(k)e^{ivk} dk$$

$$P99,L2: C_T(k) = e^{-\alpha k} \frac{1}{2\pi} \int_{-\infty}^{\infty} \Psi_T(v)e^{-ivk} dv$$

P99,L18-19: Y_i 都 i. i. d. 服從了 normal 分佈，使得 $Y_i \sim \mathcal{N}(\mu, \delta^2)$

$$P100,L1: \text{其中參數 } \mu^M = \frac{\ln S_0}{T} + r - \frac{\sigma^2}{2} - \lambda \left(\exp\left(\mu + \frac{1}{2}\delta^2\right) - 1 \right)$$

$$P100,L2: \phi_T(u) = \exp \left[T \left(-\frac{\sigma^2 u^2}{2} \right) + i\mu^M u T + \lambda T \left(\exp \left(-\frac{\delta^2 u^2}{2} + i\mu u \right) - 1 \right) \right]$$

$$P100,L17-18: \phi_T(u) = \frac{\exp\left(\frac{\kappa\theta T(\kappa-i\rho\sigma u)}{\sigma^2} + iuT\gamma + iu \log S_0\right)}{\left(\cosh\frac{\gamma T}{2} + \frac{\kappa-i\rho\theta u}{\gamma} \sinh\frac{\gamma T}{2}\right)^{\frac{2\kappa\theta}{\sigma^2}}} * \exp\left(-\frac{(u^2+iu)Y_0}{\gamma \coth\frac{\gamma T}{2} + \kappa - i\rho\sigma u}\right)$$

P.103, L1:

$$P^{\varepsilon, \delta}(t, x, y; T, h) = E_{t,x,y,z}^* \{ e^{-r(T-t)} h(S_T) \}, \quad (3-4)$$

P113,L3: 這是由於 $Z_{0.05/2} = 1.96$ 且 $Z_{0.01/2} = 2.58$ 。

$$P118,L-1: P(0, S_0) = N e^{-rT} \mathcal{N}(d_2(0, S_0))$$

P119,L6:

Closed Form		
Price	Call	Put
Cash	0.5166	0.4065

$$P138,L8: P_1^c = \frac{1}{\sqrt{2\pi}} \int_{-\infty}^{\infty} I(x > c) \frac{e^{-x^2/2}}{e^{-(x-\mu)^2/2}} e^{-(x-\mu)^2/2} = E_{\mu} \{ I(x > c) e^{\mu^2/2} e^{-\mu x} \}$$

P138,L10: 概似比例為 $e^{\mu^2/2} e^{-\mu x}$

P140,L13: $Z_1 = (Z > c) \cdot \exp(\mu^2 \cdot 0.5 - \mu \cdot Z)$;

P140,L5: $\Gamma^*(x) = \sup_{\theta \in \mathfrak{R}} [\theta x - \Gamma(\theta)]$

P143, L8: Glasserman et al.

P. 144, L5: $\Gamma^*(x) = \sup_{\theta \in \mathfrak{R}} [\theta x - \Gamma(\theta)]$

P145,L1: 1.5 應用一：風險管理—風險值與條件風險值的計算

P145,L14: $P(r_T \leq VaR_\alpha/S_0) = 1 - \alpha$

P145,L15: $VaR_\alpha = -S_0 \sigma \sqrt{T} \mathcal{N}'(1 - \alpha) = S_0 \sigma \sqrt{T} Z_\alpha$.

P153,L13:

$$S_0 e^{-(r+\frac{\sigma^2}{6})T/2} \mathcal{N}\left(\frac{\ln(S_0/K)+(r+\sigma^2/6)T/2}{\sigma\sqrt{\frac{T}{3}}}\right) - e^{-rT} K \mathcal{N}\left(\frac{\ln(S_0/K)+(r-\sigma^2/2)T/2}{\sigma\sqrt{\frac{T}{3}}}\right)$$

P212, L2: $\Delta u_t \approx \exp\left(\frac{a+b\hat{Y}_t}{2}\right) \sqrt{\Delta t} \varepsilon_t$

P244,L6-7: $\tilde{\Delta}_t = \frac{\partial P(t,x)}{\partial x} - \frac{V_3(T-t)}{x} \left(4x^2 \frac{\partial^2 P(t,x)}{\partial x^2} + 5x^3 \frac{\partial^3 P(t,x)}{\partial x^3} + x^4 \frac{\partial^4 P(t,x)}{\partial x^4}\right) = \Delta_t -$

$$\frac{V_3(T-t)}{x} (4x^2 \Gamma_t + 5x^3 \varepsilon_t + x^4 \kappa_t) \quad (1-3)$$

P293,L17: $\begin{pmatrix} X \\ Y \end{pmatrix} \sim \mathcal{N}\left(\begin{pmatrix} \mu_1 \\ \mu_2 \end{pmatrix}, \begin{pmatrix} \sigma_1^2 & \rho\sigma_1\sigma_2 \\ \rho\sigma_1\sigma_2 & \sigma_2^2 \end{pmatrix}\right)$